A decorative background consisting of numerous small squares in shades of blue and green, scattered across the black background. The squares are more densely packed in the center and become sparser towards the edges.

# T-QARD and DENSO: A Great Collaboration for Plant Optimization



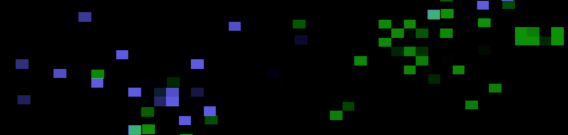
Graduate School of Information Sciences,  
Tohoku University

Masayuki Ohzeki

In collaboration with DENSO



# Optimization the moment: Our team



## DENSO

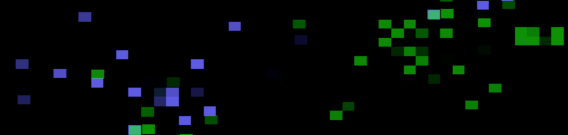
- ✓ A leading supplier of advanced automotive technology, systems and components for major automakers
- ✓ Collaboration with Tohoku University and Waseda University since Dec. 2015



## T-QARD

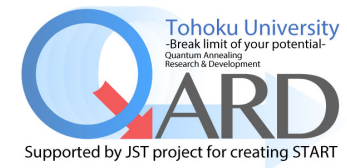
- ✓ Tohoku university Quantum Annealing Research and Development
- ✓ Established since Oct. 2017
- ✓ Core of collaborations via D-Wave machine in Japan
- ✓ We are making a consortium of companies for setting D-Wave machine in Japan

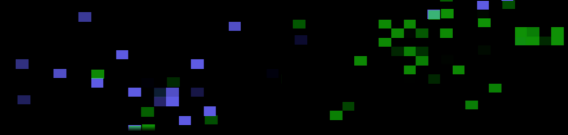




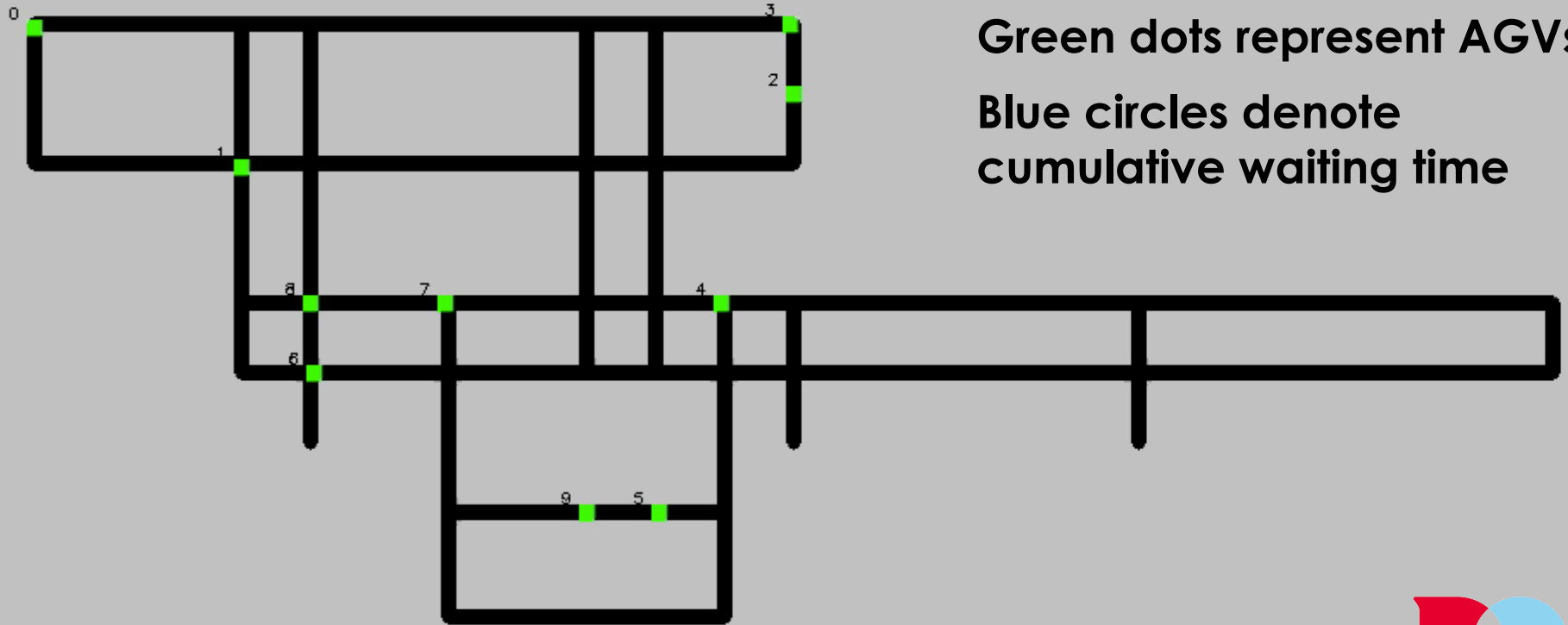
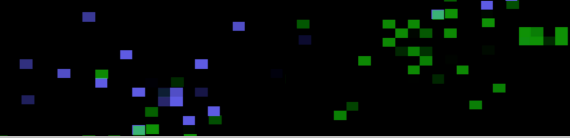
## Our recent results are ...

- ✓ **Optimization in Plant**
  - ✓ Today main topic
  - ✓ Safe and optimal control of Automated Guided Vehicles (AGVs)
  - ✓ We formulate its QUBO problem and demonstrate its efficiency
- ✓ **Optimization for Tsunami Evacuation**
  - ✓ Avoiding congestion and smooth evacuation
  - ✓ We formulate its QUBO problem and demonstrate its result for the case of Kochi in Japan
- ✓ Optimization in Quantum Clustering
  - ✓ Hybrid use of the D-Wave machine and Classical computers
  - ✓ Presented in AQC2018





# Optimization in Plant



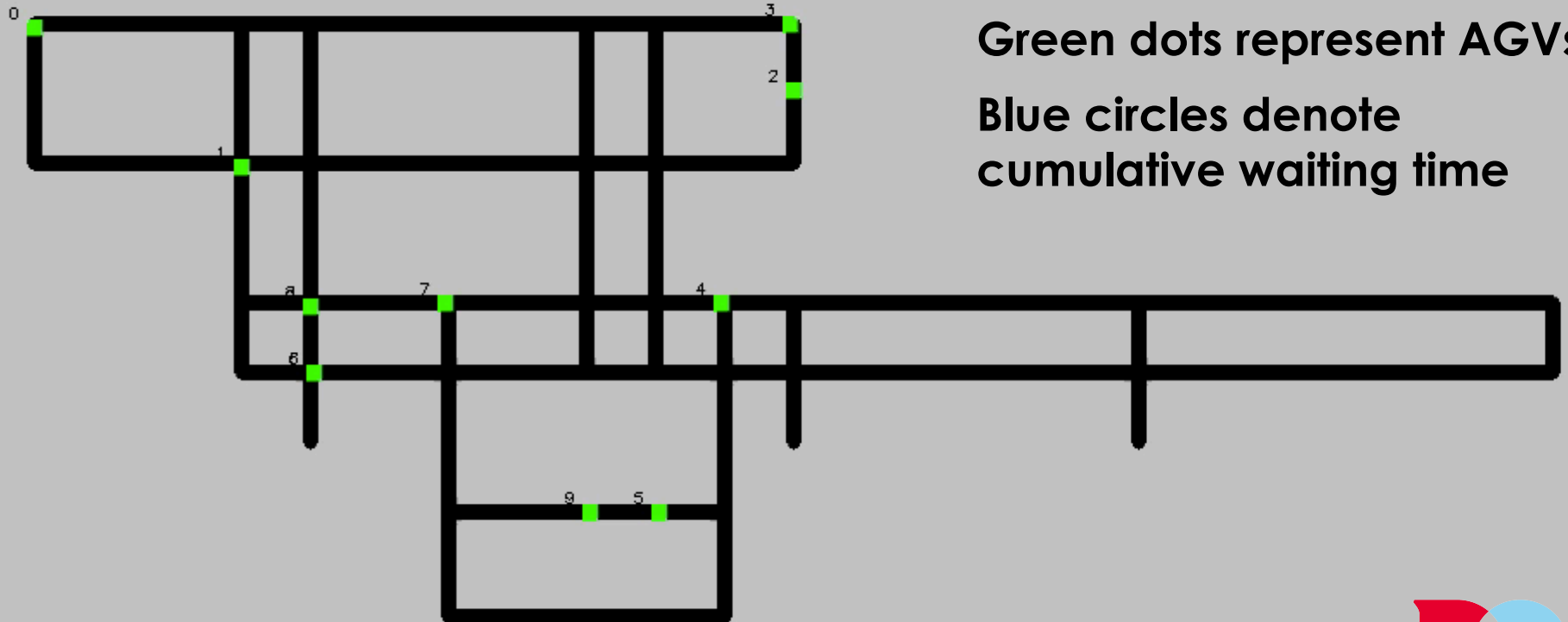
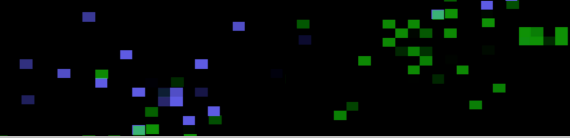
Green dots represent AGVs  
Blue circles denote cumulative waiting time

Move: 70 %, Wait: 30 %

Safe: 100 %, Danger: 0 %



Conventional method in plant

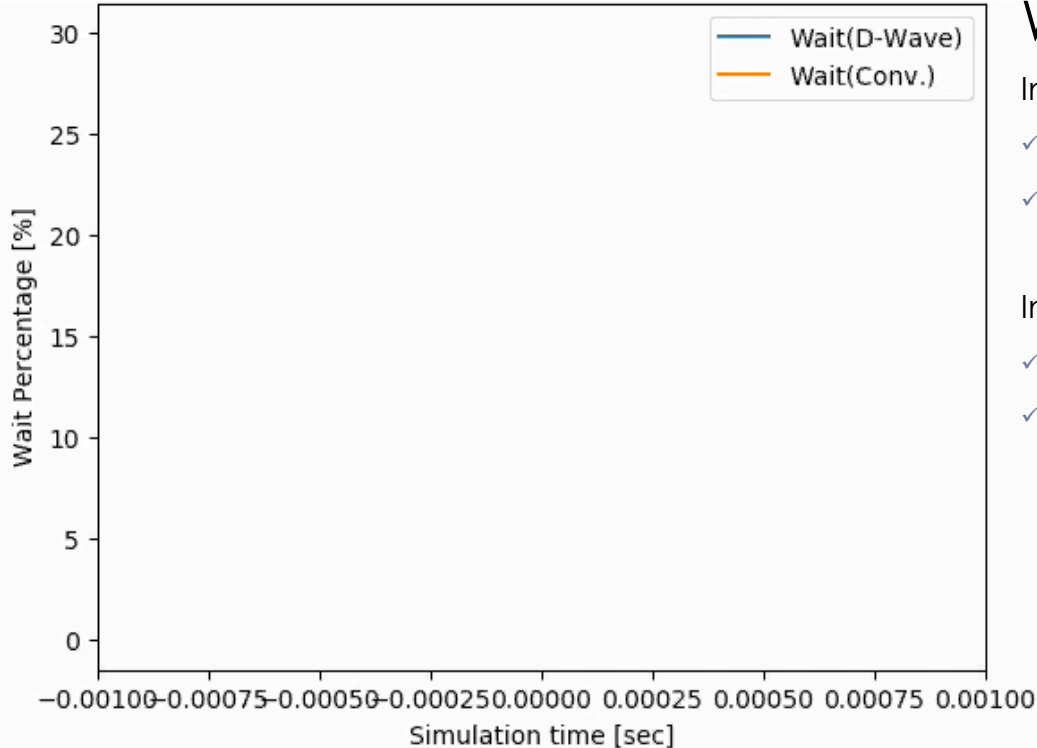
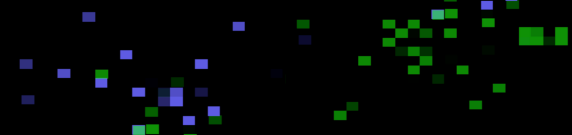


Green dots represent AGVs  
Blue circles denote cumulative waiting time

Move: 100 %, Wait: 0 %, Safe: 100 %, Danger: 0 %



Optimization by D-Wave 2000Q



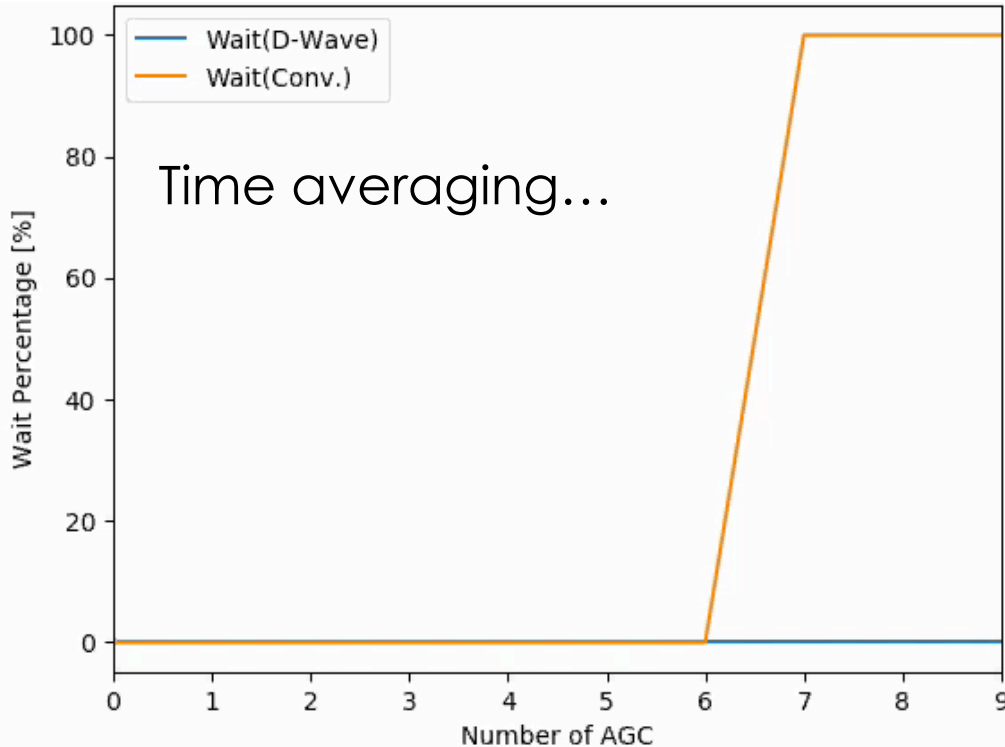
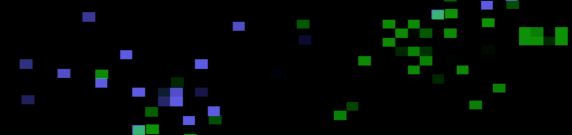
## Waiting rate of AGV

In conventional method...

- ✓ Average waiting rate is **higher than 15 %**
- ✓ Average waiting rate converges to **20 %**

In optimization by QUBO...

- ✓ Average waiting rate is always **lower than 10 %**
- ✓ Average waiting rate converges to **5 %**



## Waiting rate of AGV

In conventional method...

- ✓ Average waiting rate is **higher than 15 %**
- ✓ Average waiting rate converges to **20 %**
- ✓ Maximum waiting rate converges to **25 %**

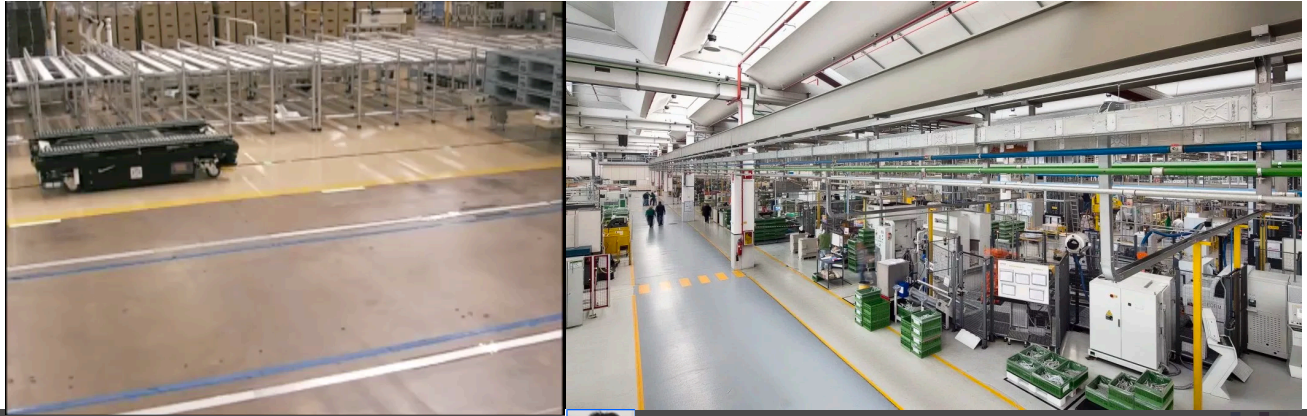
In optimization by QUBO...

- ✓ Average waiting rate is always **lower than 10 %**
- ✓ Average waiting rate converges to **5 %**
- ✓ Maximum waiting rate converges to **15 %**
- ✓ **Each AGV has similar waiting rate (flat)**



## AGV in plant

- ✓ Automated Guided Vehicles (AGV) transports many different types of material
  - ✓ Repetitive movement of materials over a distance
  - ✓ Regular delivery of stable loads
- ✓ Navigation ( Guided tape, Wire, Laser etc )
- ✓ Collision avoidance for safety but smooth control is needed



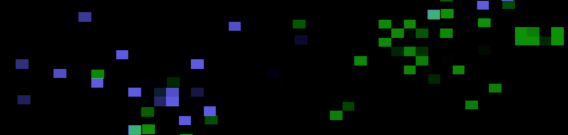
By courtesy of Goto (DENSO)



ART IMPACT

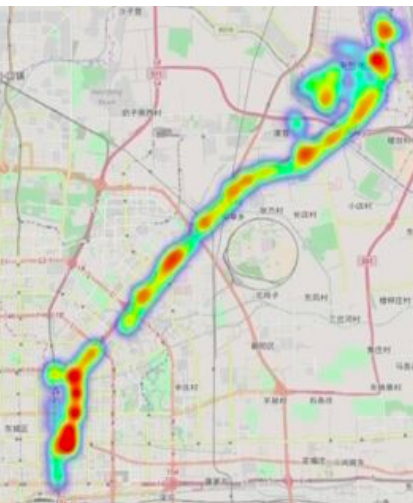
QUANTUM ANNEALING

MACHINE LEARNING



## A lesson from Volks Wagen...

- ✓ Classical and Quantum optimization
- ✓ **First (in classical way)** find the optimal path, suboptimal and the other for QUBO
- ✓ **Second (in quantum way)** find the optimal choices for reducing the whole congestion



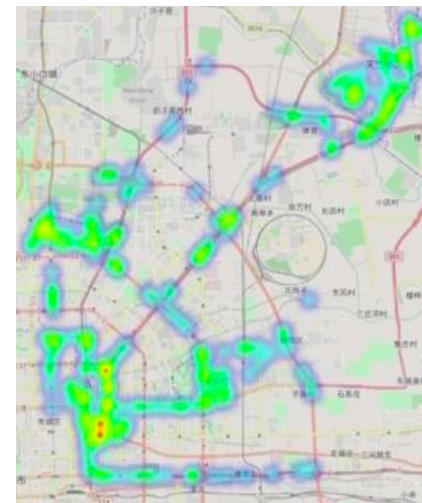
Before Optimization

$$F_{\mu,e}$$

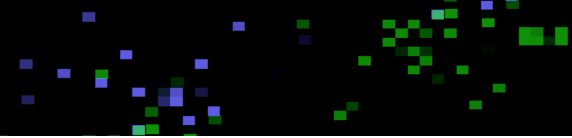
which roads are occupied with the route  
by classical way

$$\sum_{e \in E} \left( \sum_{i=1}^N \sum_{\mu \in M_i} F_{\mu,e} \sigma_{\mu,i} \right)^2 + \lambda \sum_{i=1}^N \left( \sum_{\mu \in M(x_i, s_i)} \sigma_{\mu,i} - 1 \right)^2$$

via Quantum annealing

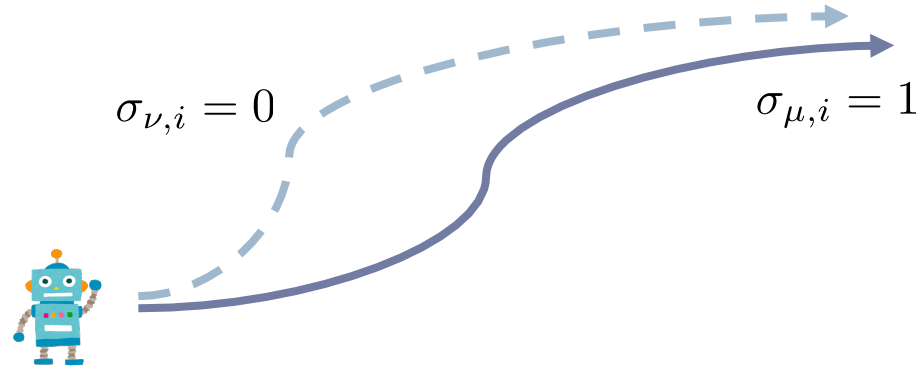


After Optimization



## In Plant, AGV moves ...

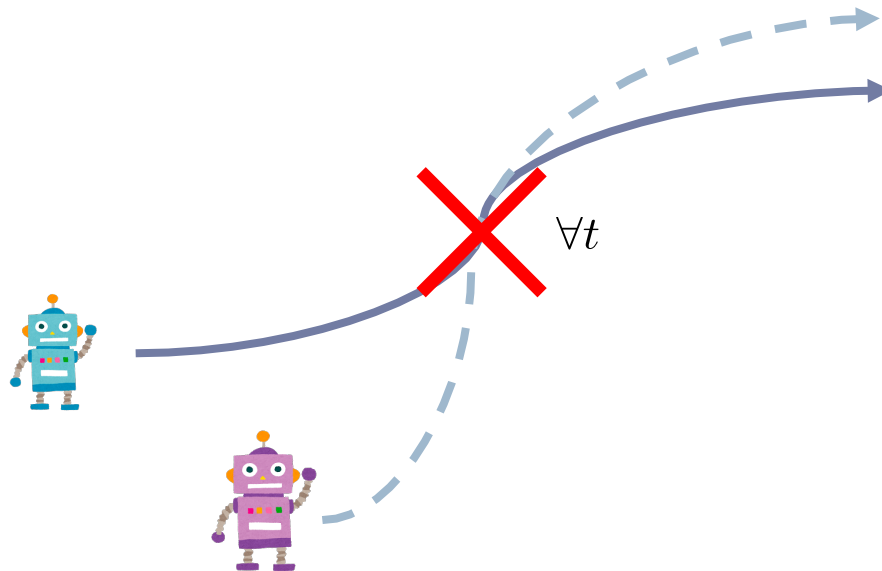
- ✓ According to the provided task



$$\mu, \nu \in M(x_i, s_i)$$

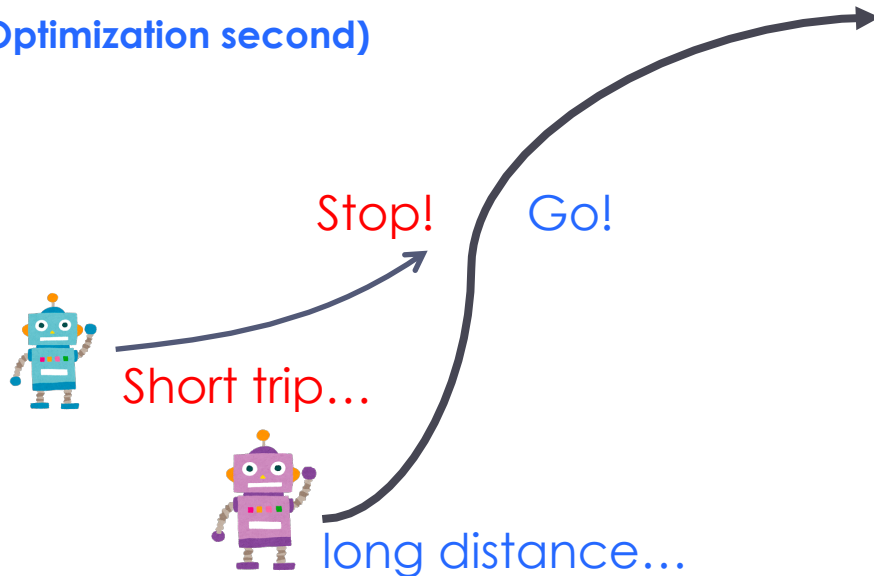
## In Plant, AGV moves ...

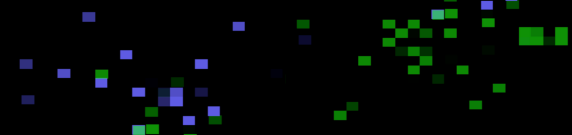
- ✓ According to the provided task
- ✓ Not alone while **avoiding simultaneous occupation** of the same road (**Safety First**)



## In Plant, AGV moves ...

- ✓ According to the provided task
- ✓ Not alone while **avoiding simultaneous occupation** of the same road (**Safety First**)
- ✓ As far as possible for efficiency (**Optimization second**)

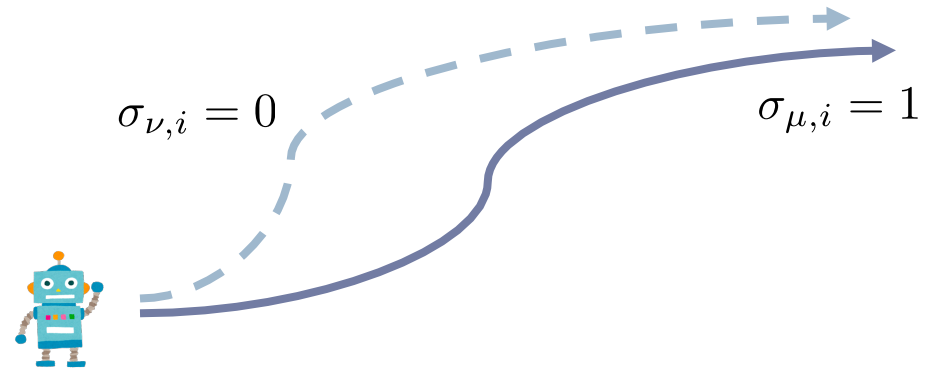




## Construction of QUBO

- ✓ Each AGV selects a single route via (0-1) representation

$$\lambda \sum_{i=1}^N \left( \sum_{\mu \in M(x_i, s_i)} \sigma_{\mu, i} - 1 \right)^2$$



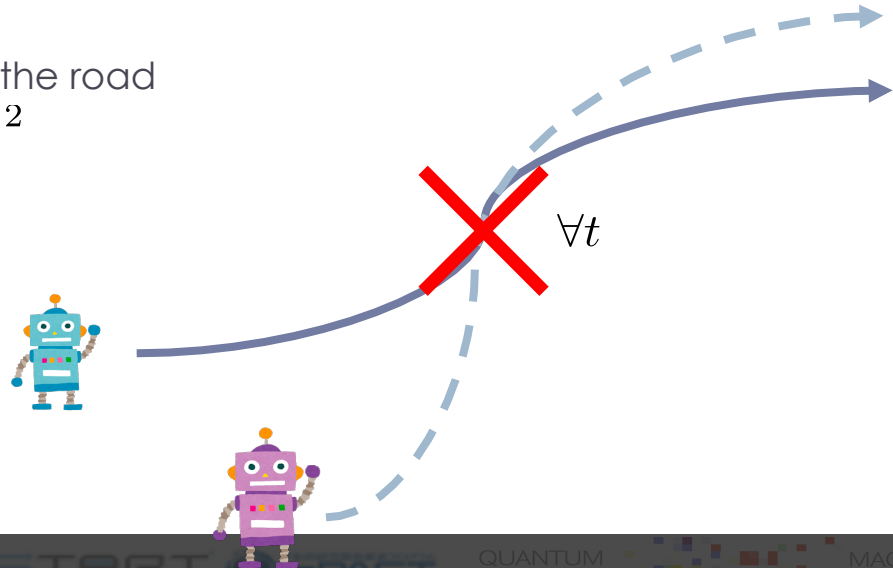
## Construction of QUBO

- ✓ Each AGV selects a single route via (0-1) representation

$$\lambda \sum_{i=1}^N \left( \sum_{\mu \in M(x_i, s_i)} \sigma_{\mu, i} - 1 \right)^2$$

- ✓ AGVs can not share the same segment of the road

$$+ \sum_{e \in E} \sum_{t=1}^T \left( \sum_{i=1}^N \sum_{\mu \in M(x_i, s_i)} F_{\mu, t, e} \sigma_{\mu, i} \right)^2$$



## Construction of QUBO

- ✓ Each AGV selects a single route via (0-1) representation

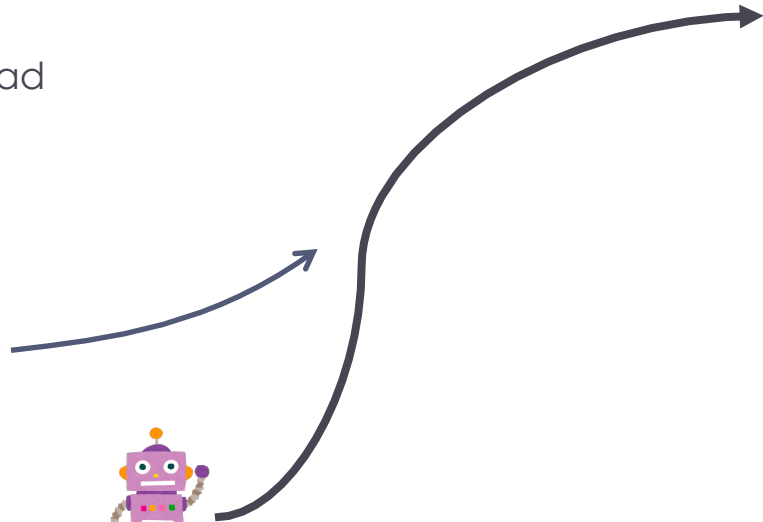
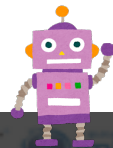
$$\lambda \sum_{i=1}^N \left( \sum_{\mu \in M(x_i, s_i)} \sigma_{\mu, i} - 1 \right)^2$$

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$$+ \sum_{e \in E} \sum_{t=1}^T \left( \sum_{i=1}^N \sum_{\mu \in M(x_i, s_i)} F_{\mu, t, e} \sigma_{\mu, i} \right)^2$$

- ✓ and goes as far as possible for efficiency

$$-a \sum_{i=1}^N \sum_{\mu \in M(x_i, s_i)} d_{\mu} \sigma_{\mu, i}$$

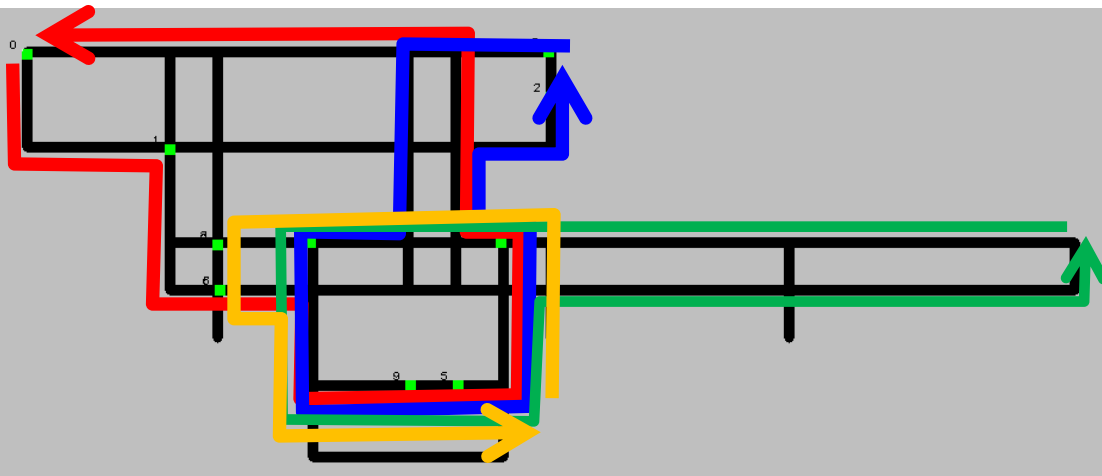




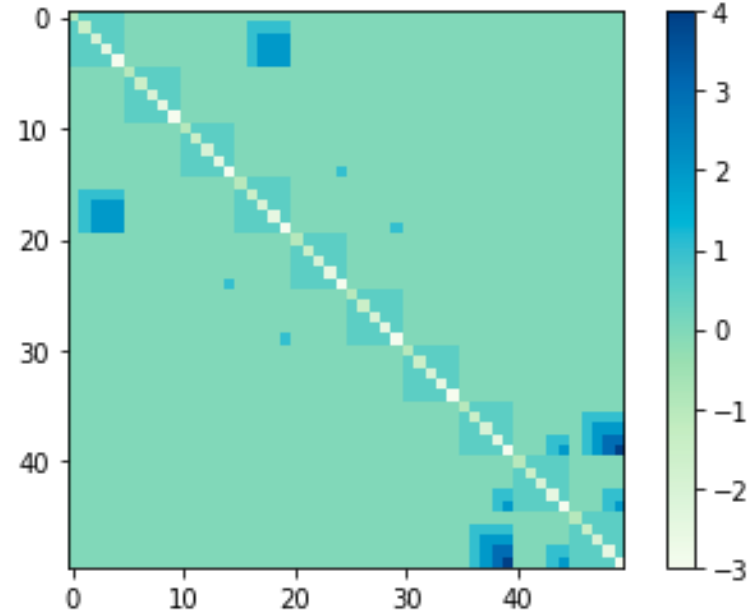
## QUBO for our plant (DENSO corporation)

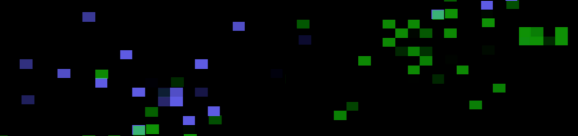
### Simulation Setting

- ✓ Number of AGVs: **10**
- ✓ Provided tasks are **5 reds**, **2 blues**, **2 oranges** and **1 green** (different tasks)
- ✓ Optimization is performed for each three-node step

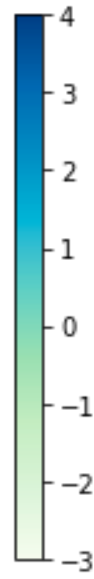
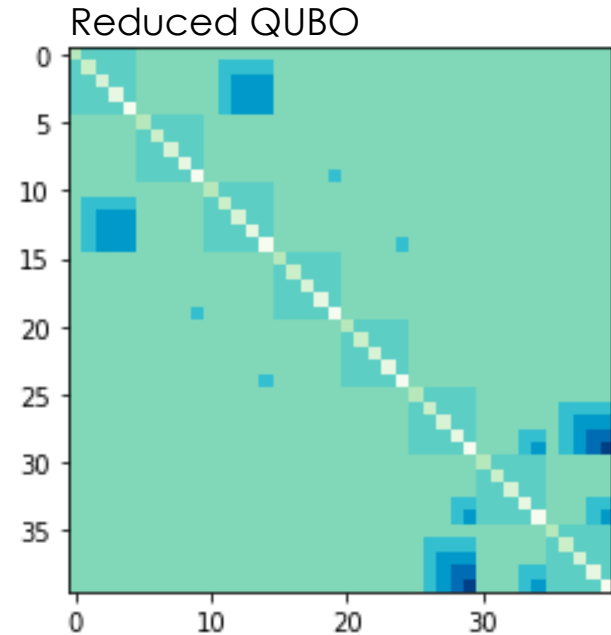
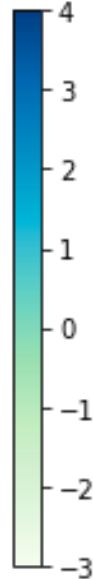
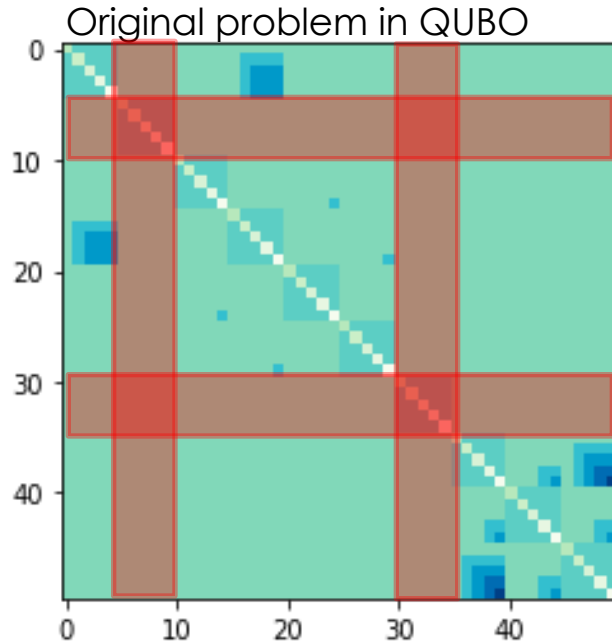


Generated QUBO from a plant





## QUBO reduction for quick response

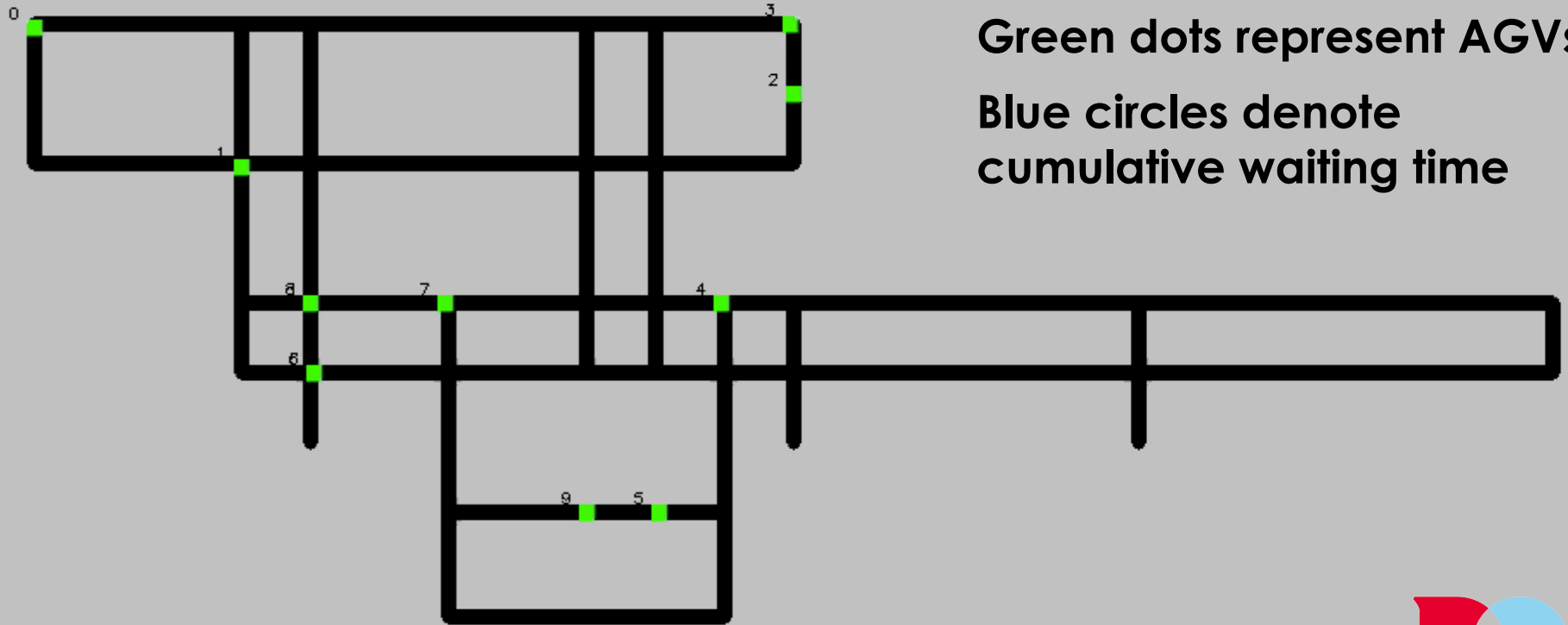
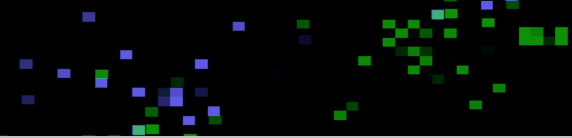


## Output does not always satisfy constraints (as you know...)

- ✓ First we take many outputs from D-Wave machines (Advantage point)
  - ✓ 1000 samples are generated via D-Wave 2000Q
- ✓ We pick up several solutions **without crash accidents between AGVs (Saftey first)**
  - ✓ We have the remaining about 400 samples without any crash accidents
- ✓ The remaining samples do not always satisfy the constraints for selecting a single route
  - ✓ We pick up the satisfiable solution while maximizing the efficiency of AGVs **(optimal second)**

## Comparison with the other tools for solving the QUBO

- ✓ CBC solves about 0.02 sec. and Gurobi solves about 0.004 sec. via optimization under constraints
- ✓ Waiting rate
  - ✓ **Conventional method: 20 %, CBC and Gurobi: 7 %, and D-Wave 2000Q: 5 %**
  - ✓ Fujitsu digital annealer can also yield the similar result to one by D-Wave 2000Q (in 7 sec!)



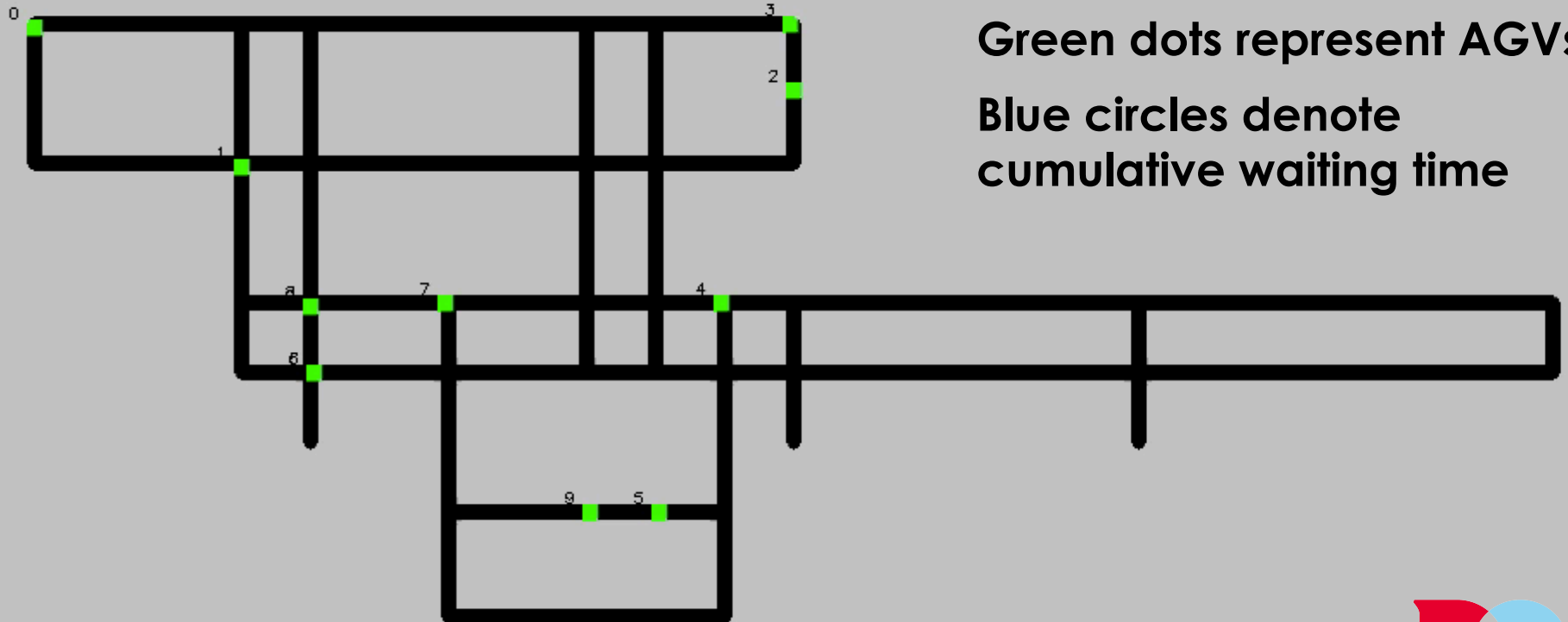
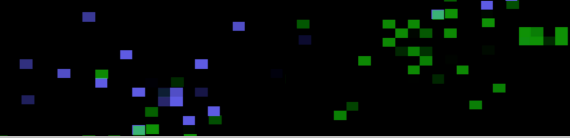
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Blue circles denote cumulative waiting time

Move: 70 %, Wait: 30 %

Safe: 100 %, Danger: 0 %



Conventional method in plant

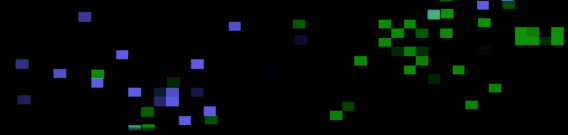


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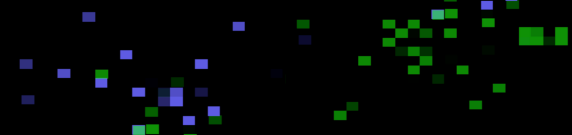
Move: 100 %, Wait: 0 %, Safe: 100 %, Danger: 0 %



Optimization by D-Wave 2000Q

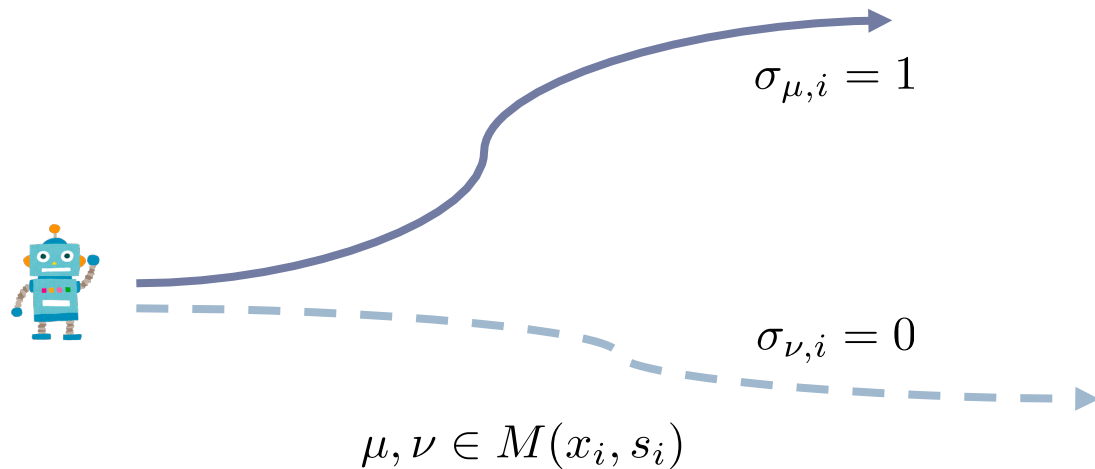


# Tsunami Evacuation



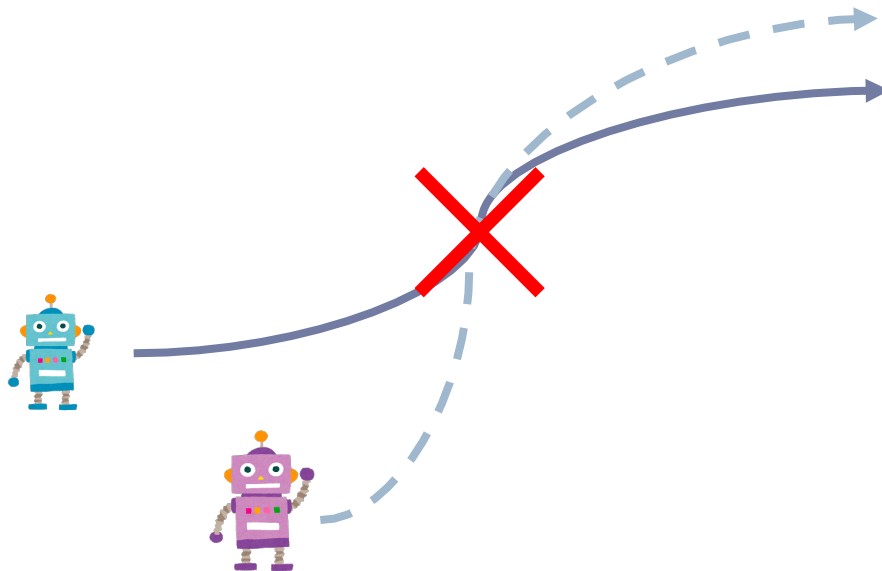
## In Evacuation, people moves ...

- ✓ Go to the predetermined safe spots

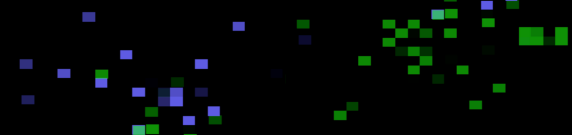


## In Evacuation, people moves ...

- ✓ Go to the predetermined safe spots
- ✓ Do not gather the same spot and segment in roads for reducing congestion (**Safety First**)

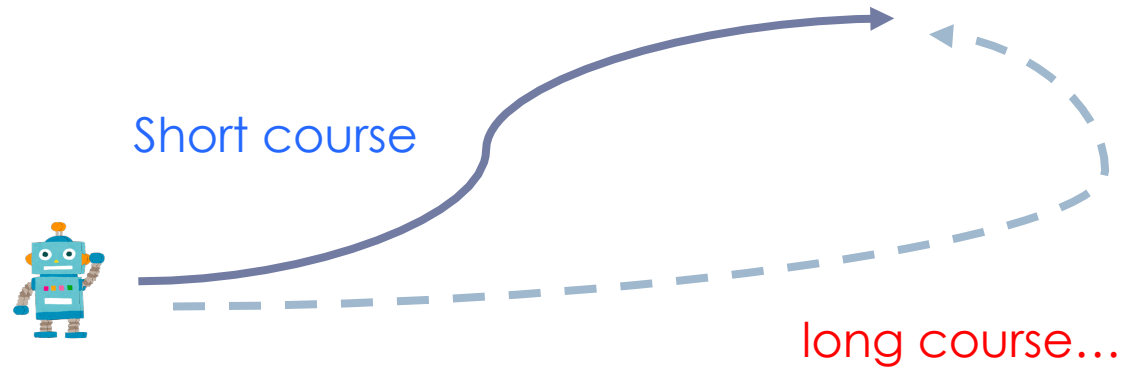


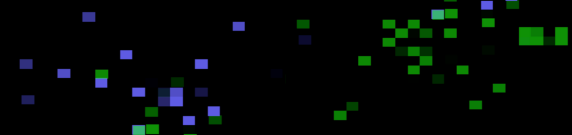




## In Evacuation, people moves ...

- ✓ Go to the predetermined safe spots
- ✓ Do not gather the same spot and segment in roads for reducing congestion (**Safety First**)
- ✓ As short as possible for efficiency (**Optimization second**)

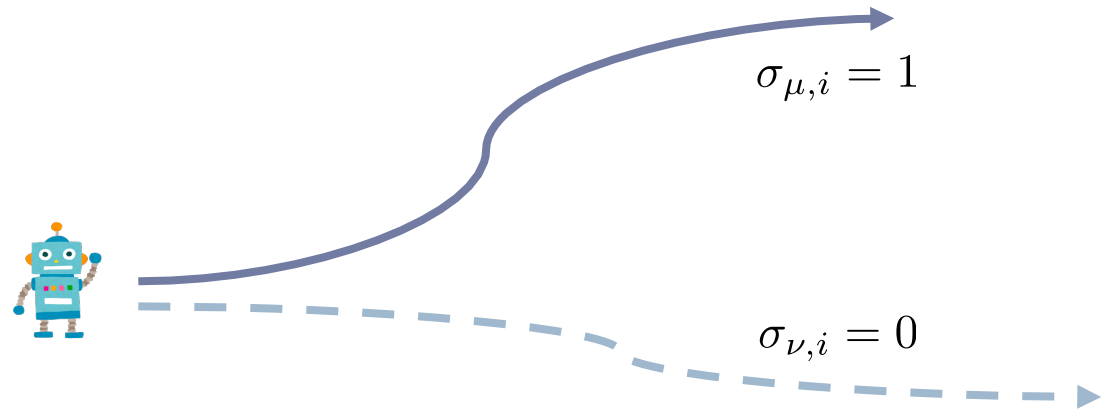




## Construction of QUBO

- ✓ Each AGV selects a single route via (0-1) representation

$$\lambda \sum_{i=1}^N \left( \sum_{\mu \in M(x_i, s_i)} \sigma_{\mu, i} - 1 \right)^2$$



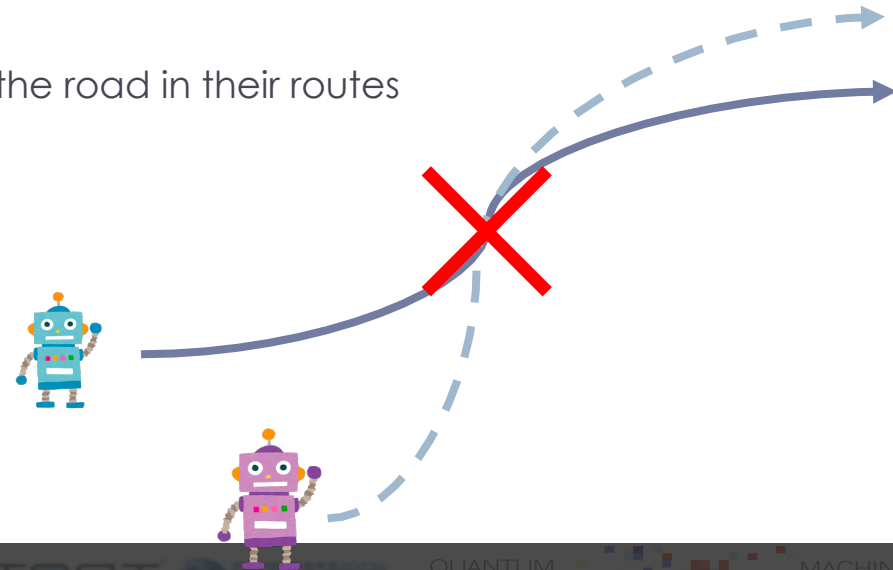
## Construction of QUBO

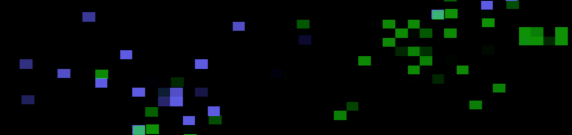
- ✓ Each AGV selects a single route via (0-1) representation

$$\lambda \sum_{i=1}^N \left( \sum_{\mu \in M(x_i, s_i)} \sigma_{\mu, i} - 1 \right)^2$$

- ✓ People does not share the same segment of the road in their routes

$$+ \sum_{e \in E} \left( \sum_{i=1}^N \sum_{\mu \in M(x_i, s_i)} F_{\mu, e} \sigma_{\mu, i} \right)^2$$





## Construction of QUBO

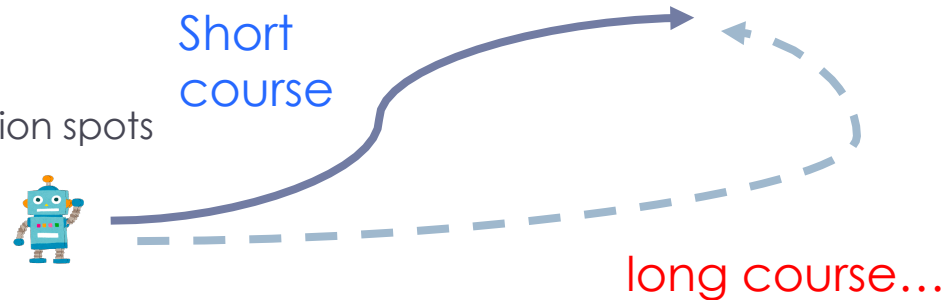
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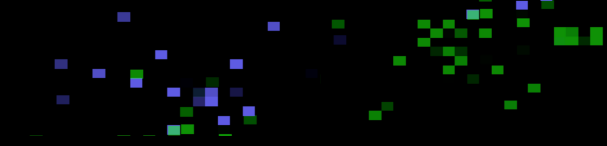
$$\lambda \sum_{i=1}^N \left( \sum_{\mu \in M(x_i, s_i)} \sigma_{\mu, i} - 1 \right)^2$$

- ✓ AGVs can not share the same segment of the road

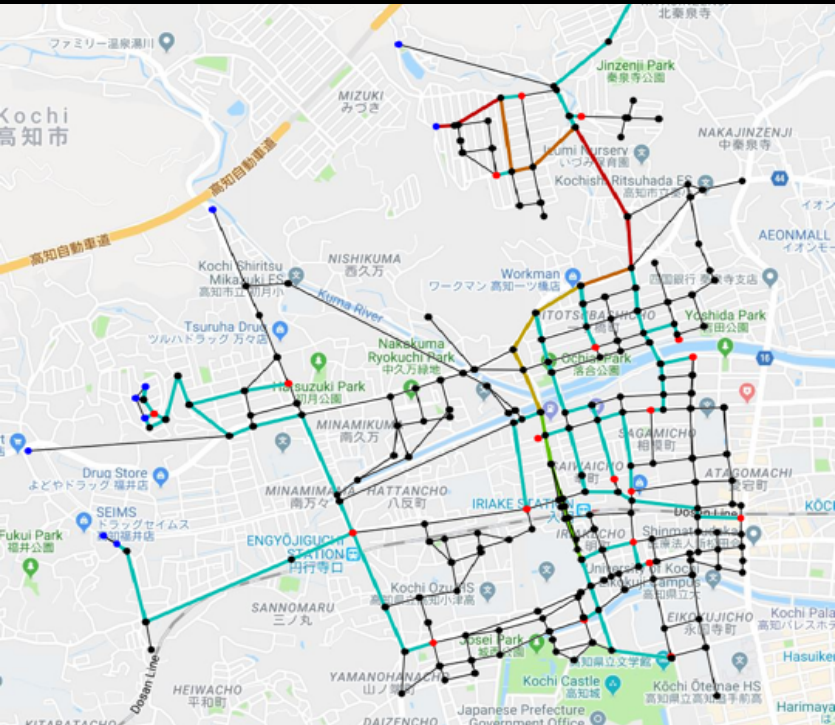
$$+ \sum_{e \in E} \left( \sum_{i=1}^N \sum_{\mu \in M(x_i, s_i)} F_{\mu, e} \sigma_{\mu, i} \right)^2$$

- ✓ We use only the shortest paths for evacuation spots





## In Kochi city (South Western in Japan)

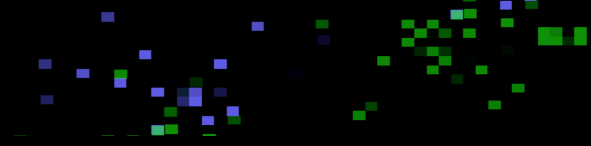


Conventional situation

- ✓ People has the shortest-path policy
- ✓ Several roads will be occupied with many people

Before Optimization





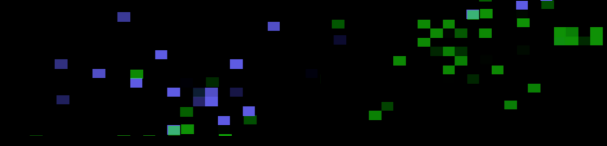
## In Kochi city (South Western in Japan)



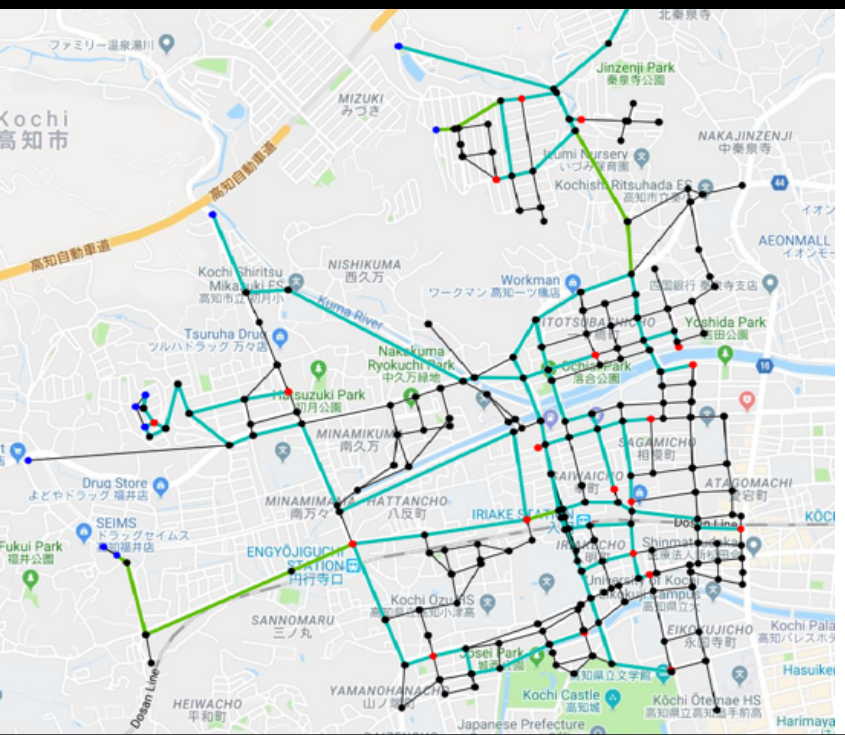
Conventional situation

- ✓ People has the shortest-path policy
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Before Optimization



## In Kochi city (South Western in Japan)



### Conventional situation

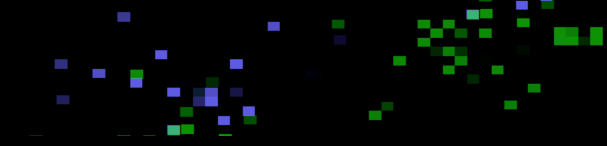
- ✓ People has **the shortest-path policy**
- ✓ Several roads will be **occupied with many people**

### Optimized situation

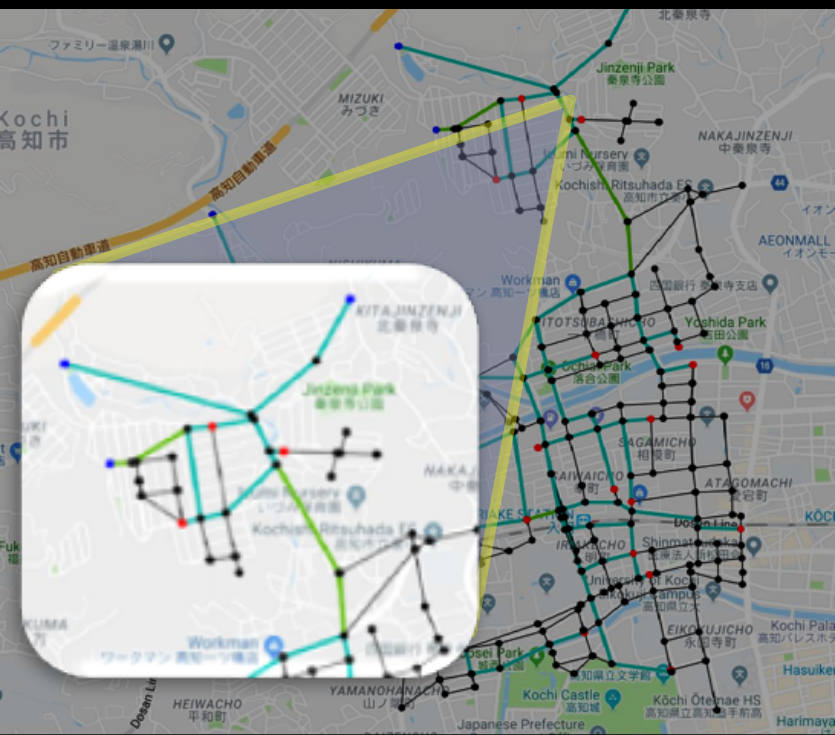
- ✓ People receives **optimal directions** into safe spots
- ✓ Occupation of the roads can be reduced
- ✓ Congestion will be relaxed

After Optimization





## In Kochi city (South Western in Japan)



### Conventional situation

- ✓ People has the shortest-path policy
- ✓ Several roads will be occupied with many people

### Optimized situation

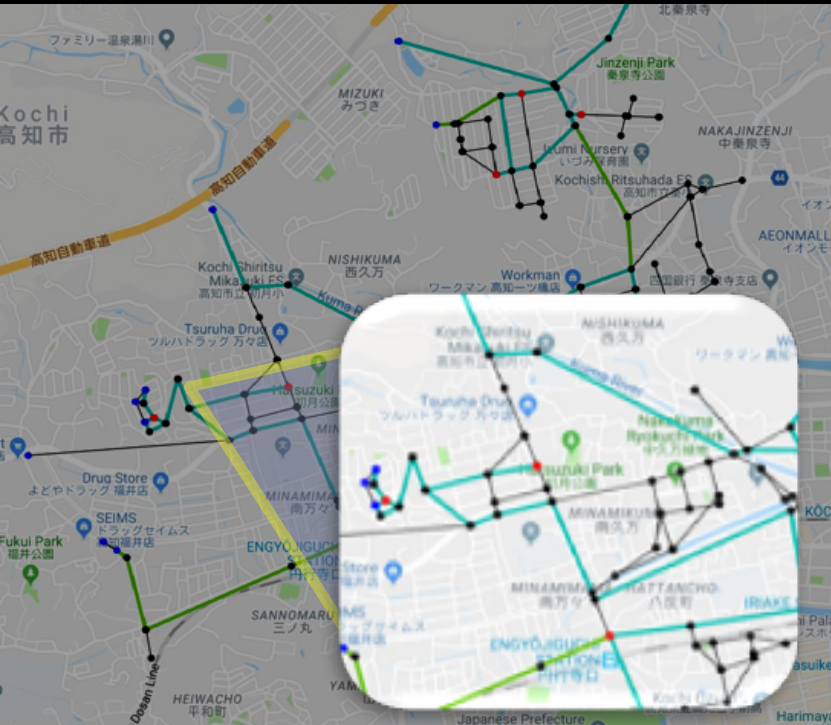
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- ✓ Occupation of the roads can be reduced
- ✓ Congestion will be relaxed

After Optimization





## In Kochi city (South Western in Japan)



### Conventional situation

- ✓ People has **the shortest-path policy**
- ✓ Several roads will be **occupied with many people**

### Optimized situation

- ✓ People receives **optimal directions** into safe spots
- ✓ Occupation of the roads can be reduced
- ✓ Congestion will be relaxed

After Optimization

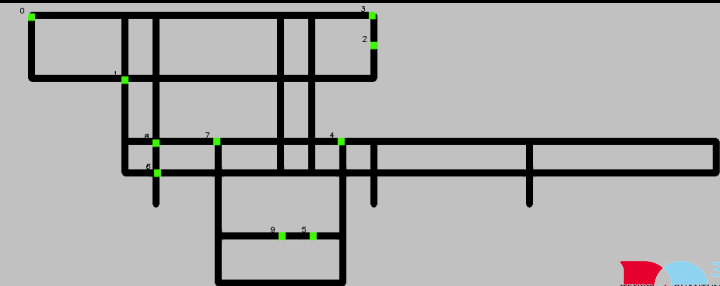




# Summary

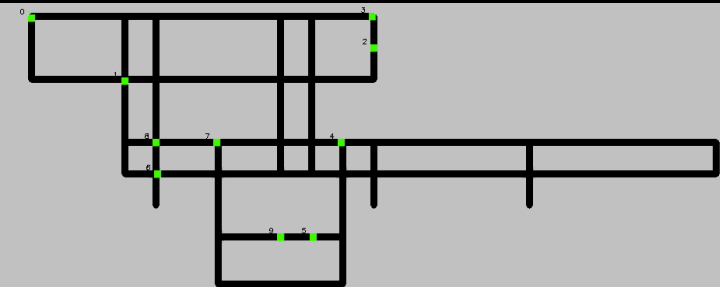
M. Ohzeki et. al. to be submitted

## Optimization by D-Wave 2000Q



Move: 100 %, Wait: 0 %, Safe: 100 %, Danger: 0 %

## Conventional method in factory



Move: 70 %, Wait: 30 %, Safe: 100 %, Danger: 0 %



Before Optimization



After Optimization

## Optimization in Plant

- ✓ We formulate the optimization problem in plant as QUBO
- ✓ Optimal solutions attained by D-Wave machine are available

## Optimization for Tsunami Evacuation

- ✓ We formulate the optimization problem for evacuation as QUBO
- ✓ Automatic system for optimization everywhere is established

Thank you for Qubits North America, see you again



